

Sea ice is easy:

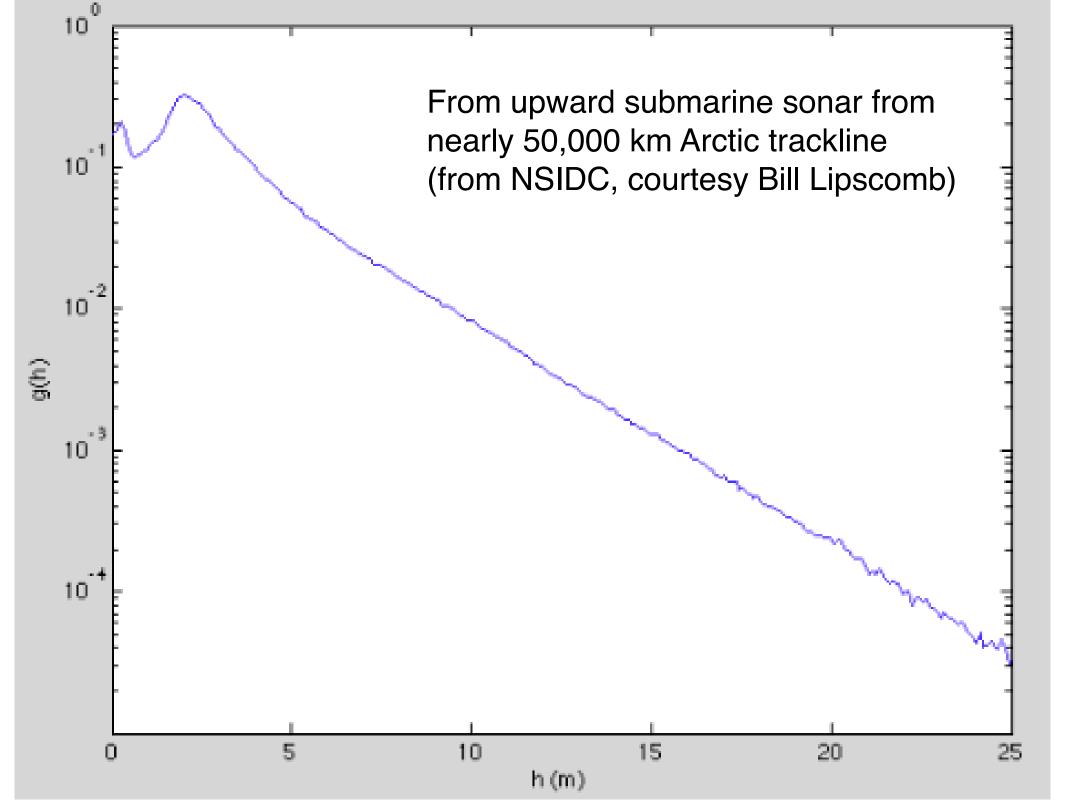
The only hard parts are

Freezing, Melting, Import, and Export

Import & Export are complicated because you need ice motion.

Freezing & Melting are complicated because it's not enough to know only average thickenss.

-- You need *probability distribution of thickness*.





A (very!) little math:

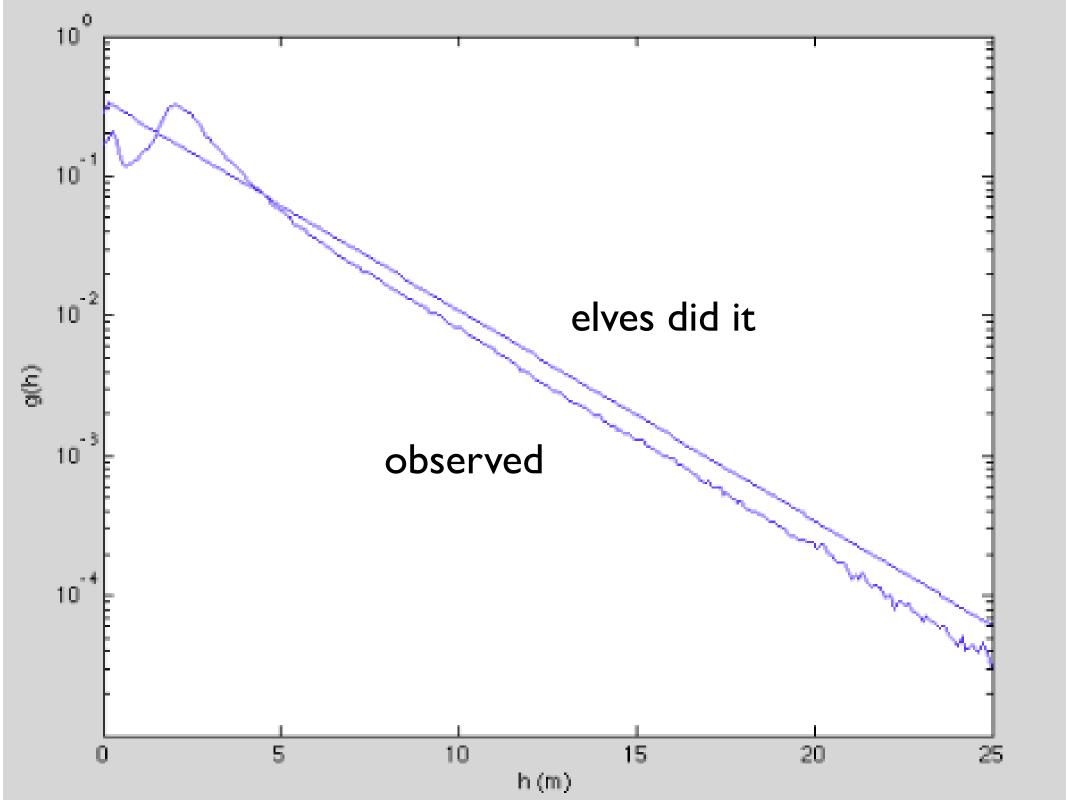
Maximise
$$S = -\int_{0}^{\infty} \log(g)gdh$$

subject to
$$\int_{0}^{\infty} g dh = 1$$
 and $\int_{0}^{\infty} g h dh = H$

and *presto!*
$$g(h) = \exp(-h/H)/H$$

Thus, Santa's elves, underoccupied during off-season, randomly toss ice into the Arctic. Is that easy, or what?

Let's see!



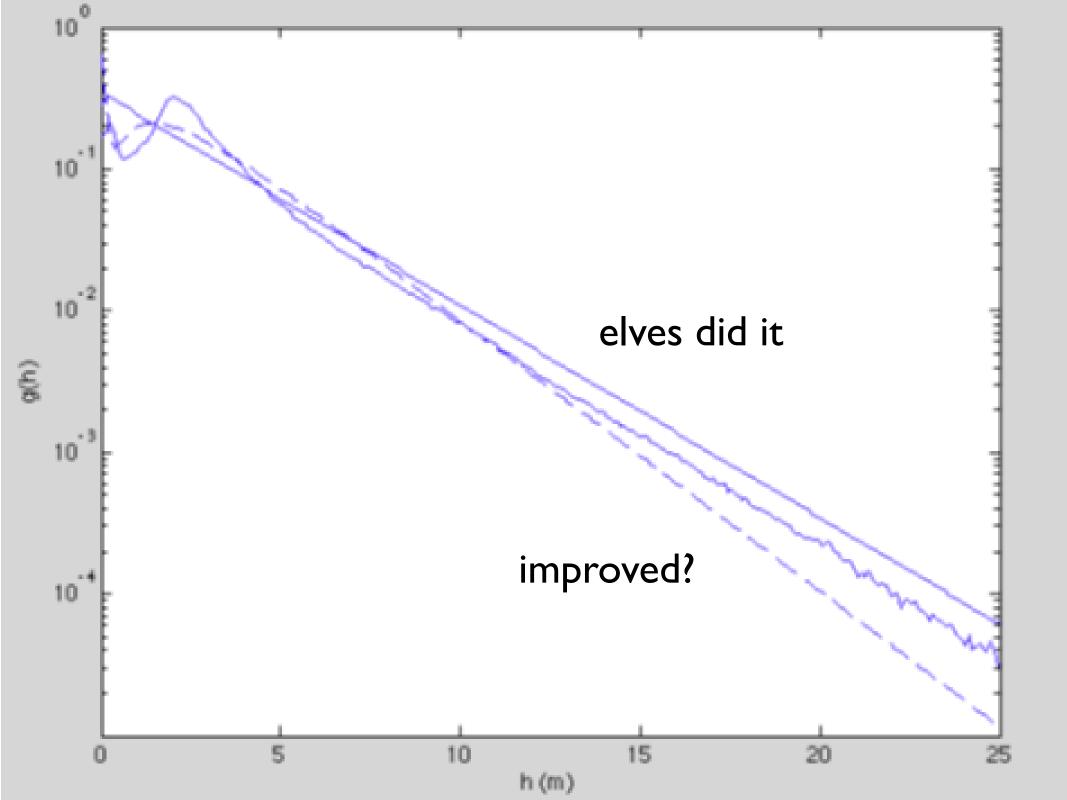
OK, not the greatest ever. But fiddle just a little.

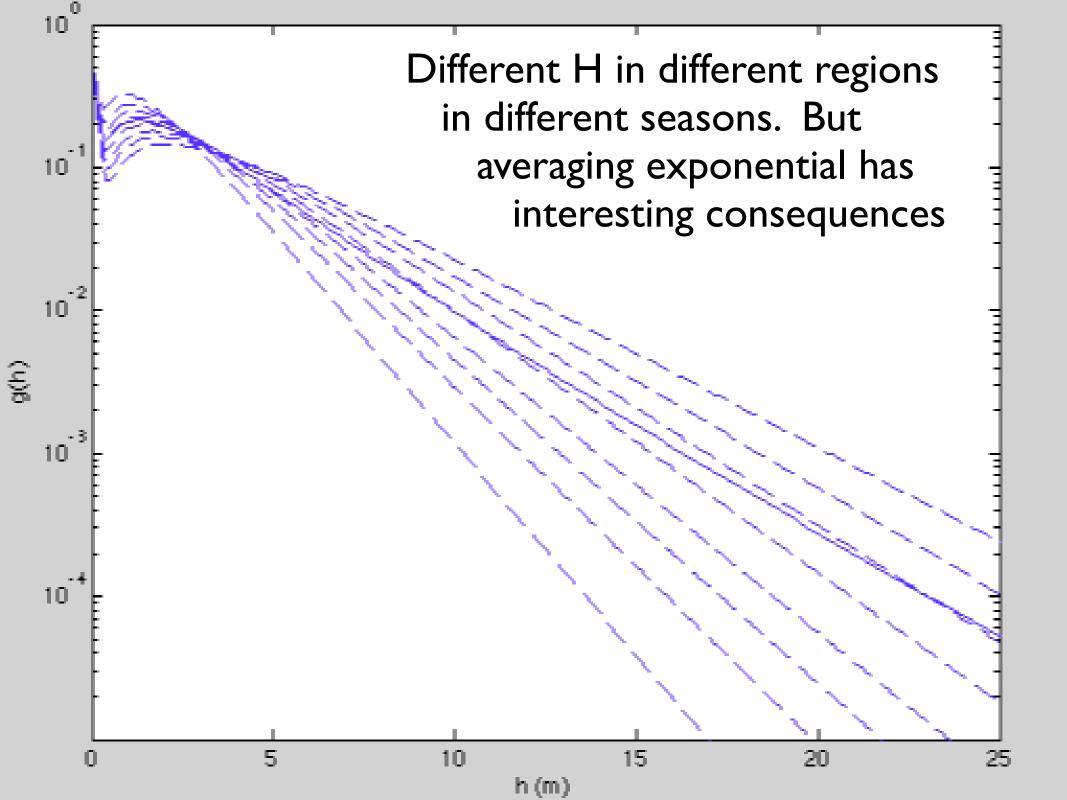
Wind shifts, tides, inertial oscillations, ... open ice.

Recognize an "open water" (thin ice?) fraction 1-A. In leads during freezing, thin new ice rapidly forms but is easily smunched into thicker ice. Fix it?

$$D = \frac{A}{(2a-1)H} \left(e^{-\frac{h}{aH}} - e^{-\frac{h}{H-aH}} \right) + \frac{1-A}{bH} e^{-\frac{h}{bH}}$$

Improved? Let's see.



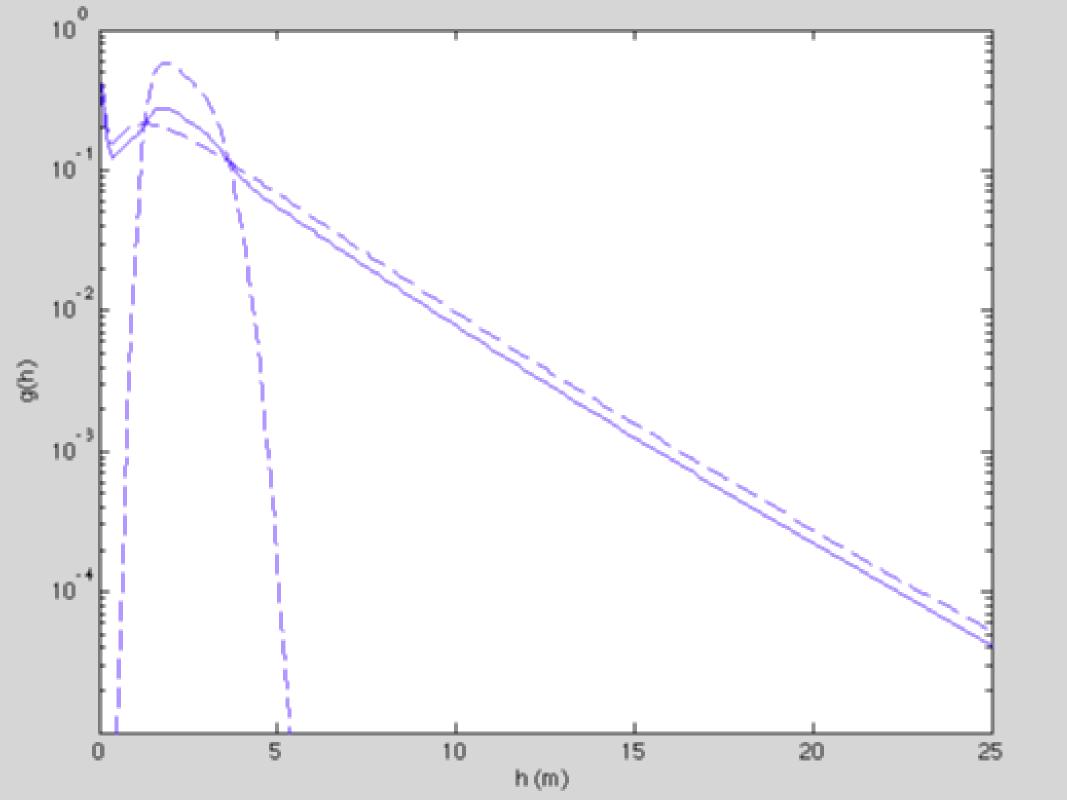


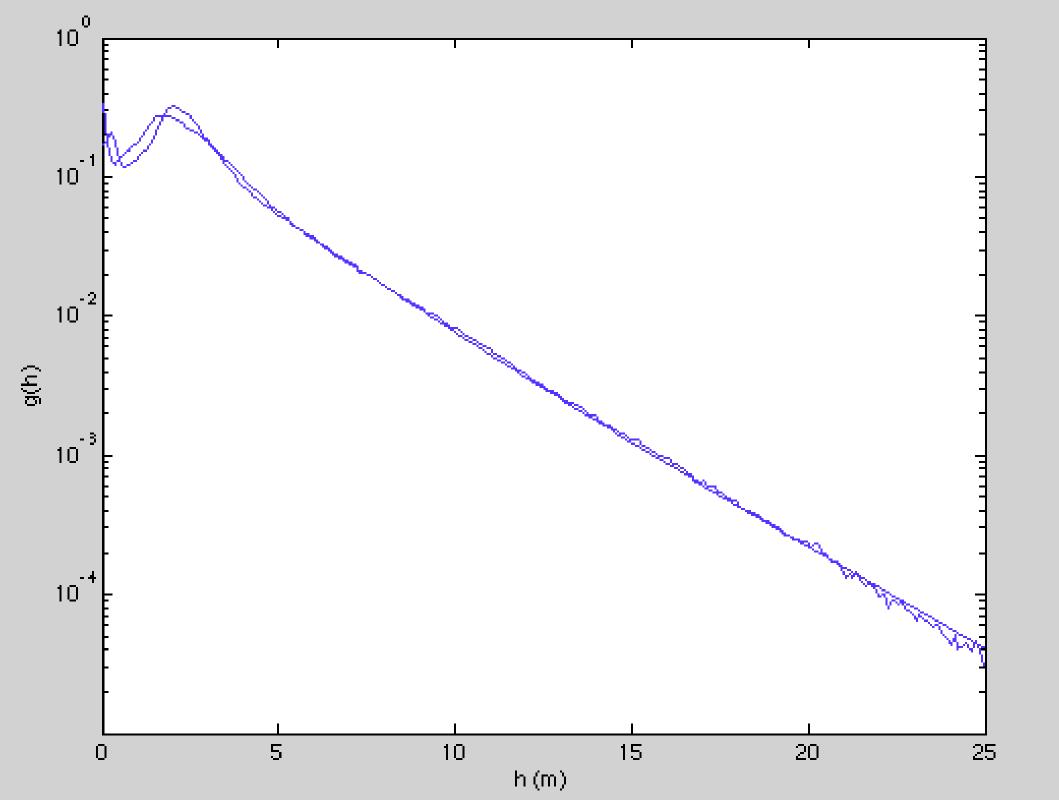
Dynamics -- alone -- spreads out g(h), approaching D.

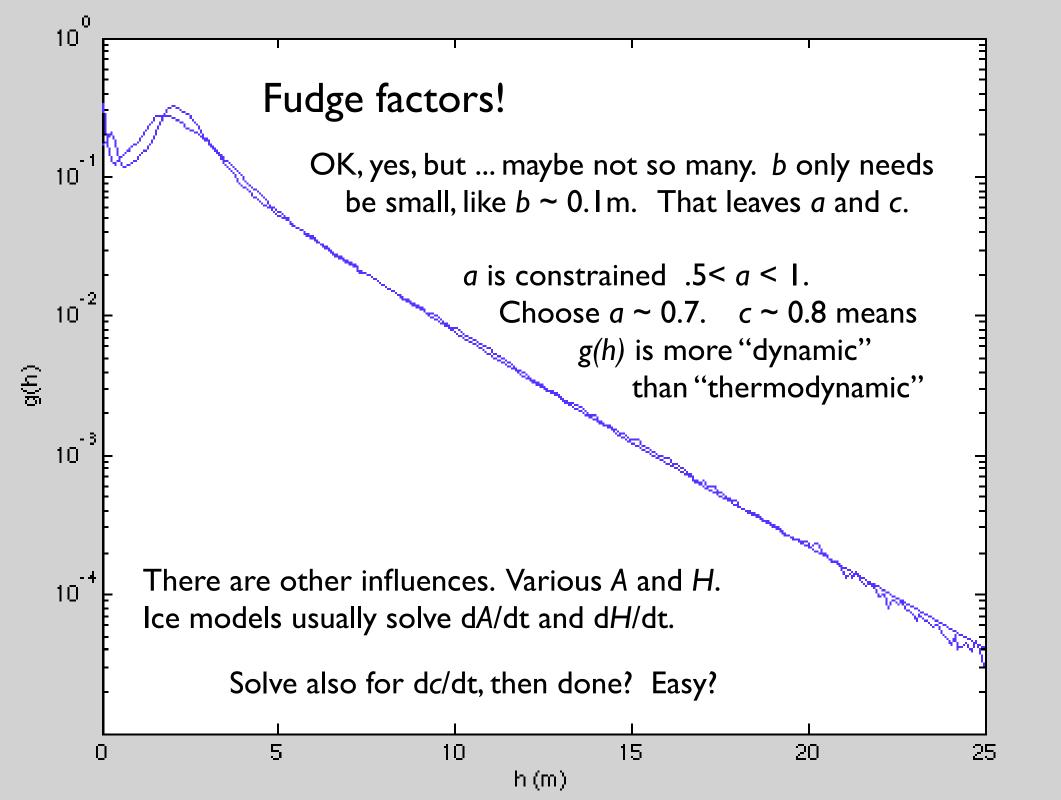
Thermodynamics -- alone -- would focus g(h), e.g. as

$$T = e^{-\frac{(h-aH)^2}{2b^2}} / \sqrt{2\pi b}$$
 which also needs be averaged over

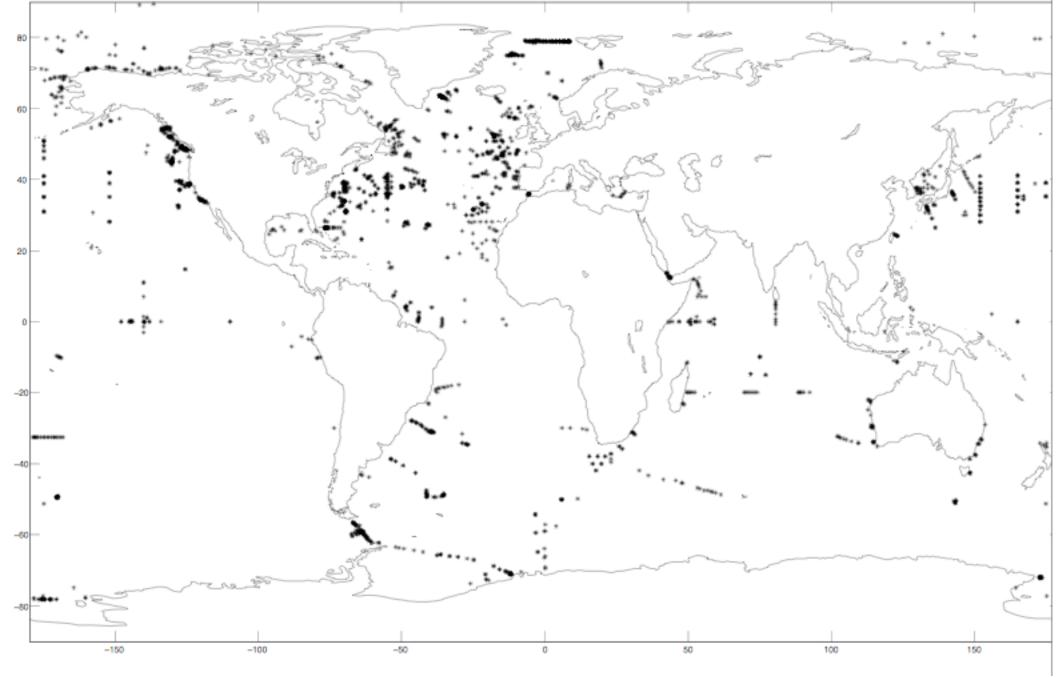
various H. Combine to g(h) = cD + (1-c)T for some c. See a case c = 0.8:











12856 CM records, 81669 months later: "topostrophy" fxV·S=+.24 Why "+"? Why ".24"?